



Easter Eggs

Easter is coming and mouse Stofl plans to organize an Easter Egg Race for his two sons, mouse Tim and mouse Tom. He has already selected possible hiding places around the house and would like to plan the race. The race will run as follows: Tim and Tom each get a list of hiding places, that they have to visit in this exact order and pick up an egg at each one. The last hiding place on both lists is the same, hence who arrives first at the last hiding place wins the race. Stofl doesn't want them to just follow each other, thus they start from different hiding places at the same point in time. The hiding places are chosen in a way such that when two hiding places are adjacent, it takes the mice exactly one minute to get from one to the other. In addition, we assume that the mice don't lose any time at the hiding places themselves to look for the eggs (mice are natural hunters). Mouse Stofl's sons are still small, so he doesn't want them to get lost and he wants them to find a new egg every minute. Which is why all consecutive hiding places on the list must be adjacent in order to keep the race simple.

Stofl can't stand the thought of seeing one of his sons disappointed at the end of the race, so he wants to arrange the race course in a way, that both sons arrive at the same time at their final hiding place. A hiding place can appear multiple times on the list, but no two successive hiding places on the list can be the same (if a hiding place appears twice, the mice will get two eastereggs). For the race to appear fair, both mice have to start at the same time and therefore have to receive lists of equal length from Stofl. Because his sons are still very young and do not yet have the astonishing stamina of a grown mouse, he would prefer for the race to be over as soon as possible. You can assume for any two hiding places, that it is possible to get from one to the other either directly (if they're adjacent) or via a series of other hiding places.

Given are the number of possible hiding places N ($N \geq 2$), the starting points of Tim (A) and Tom (B) and a list of adjacent hiding places.

Input

The first line contains four integers, the number of hiding places N , the number of adjacent hiding places M , the starting hiding place of Tim A and the starting hiding place of Tom B . The next M lines contain two integers each, a_i and b_i ($1 \leq a_i, b_i \leq N$), which indicate that a_i and b_i are adjacent hiding places.

Output

If it is possible to create a fair race, print the minimal length of such a race (e.g. how many entries would there be on one list). If it is not possible, print the string "IMPOSSIBLE" (without quotation marks).

Limits

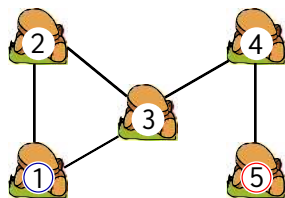
There are five test groups, each is worth 20 points.

- In group 1, we have $2 \leq N \leq 10, 1 \leq M \leq 30$.
- In group 2, we have $2 \leq N \leq 1\,000, 1 \leq M \leq 500\,000$.
- In group 3, we have $2 \leq N \leq 5\,000, 1 \leq M \leq 500\,000$.
- In group 4, we have $2 \leq N \leq 10\,000, 1 \leq M \leq 1\,000\,000$.
- In group 5, we have $2 \leq N \leq 100\,000, 1 \leq M \leq 1\,000\,000$.



Examples

Input	Output
5 5 1 5 1 2 1 3 2 3 3 4 3 4 4 5	2



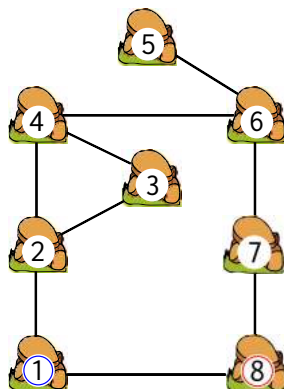
Tim takes the path: $1 \rightarrow 2 \rightarrow 3$

Tom takes the path: $5 \rightarrow 4 \rightarrow 3$

After 2 minutes both arrive at the hiding place 3.

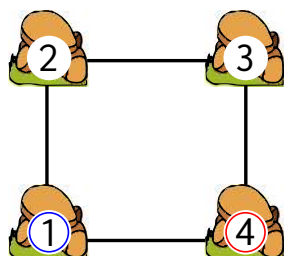


Input	Output
<pre> 8 9 1 8 1 2 2 4 2 3 3 4 4 6 6 5 6 7 7 8 1 8 </pre>	3



Tim takes the path: $1 \rightarrow 2 \rightarrow 4 \rightarrow 3$
Tom takes the path: $8 \rightarrow 1 \rightarrow 2 \rightarrow 3$
After 3 minutes both arrive at the hiding place 3.

Input	Output
<pre> 4 4 1 4 1 2 2 3 3 4 4 1 </pre>	IMPOSSIBLE



After an even number of minutes Tim is either at 1 or 3 and Tom at 4 or 2.
After an odd number of minutes Tim is either at 2 or 4 and Tom is at 1 or 3.
It is not possible, that both arrive at the same time with the same number of eggs at the same hiding place.



Input	Output
8 8 1 4 1 2 3 6 5 6 8 5 7 8 6 4 7 2 2 3	2

Tim takes the path $1 \rightarrow 2 \rightarrow 3$

Tom takes the path $4 \rightarrow 6 \rightarrow 3$

After 3 minutes Tom and Tim could meet at hiding place 8.

This is not optimal, because they can meet after 2 minutes at hiding place 3.